IMPLEMENTATION OF COMPILER, VIEWER, AND PARALLELISM ANALYSIS SOFTWARE FOR THE IF1 LANGUAGE

# IMPLEMENTATION OF COMPILER, VIEWER, AND <br> PARALLELISM ANALYSIS SOFTWARE FOR THE IF1 LANGUAGE 

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## Table of Contents

1. Introduction ..... 7
1.1 Background ..... 7
1.2 Motivation ..... 8
1.2.1 Multithreaded Parallel Processing Architecture ..... 9
2. Compiler Construction ..... 12
2.1 Description of IF1 Code and IF1 Graph ..... 13
2.2 Compiler Front End ..... 19
2.3 Compiler Back End ..... 21
2.4 IF1 Example Program Graph ..... 24
3. Graphical Interface ..... 28
4. Parallelism Analysis ..... 33
4.1 Methodology ..... 33
4.2 Results ..... 38
5. Conclusion And Future Work ..... 43
Bibliography ..... 45
Appendix A - Parse-Tree And Other Structures ..... 46
Appendix B - File Description ..... 49
Appendix C - Sisal Source Codes of The 24 Livermore Loops ..... 52
Appendix D - Simulation Result ..... 69
Appendix E - Source Code and Executable Programs ..... 88


#### Abstract

The IF1 language has been chosen as the candidate intermediate form for a newly proposed computer architecture, a Multithreaded Parallel Processor. This paper will discuss the process of building the IF1 compiler with a brief description of the new architecture. Additionally parallelism analysis tools were developed and are described. The graphical viewer tools allow the data dependency graph to be displayed. Other tools traverse the graph and calculate data that estimates the exploitable parallelism.


## 1. Introduction

There are many programming languages to choose from, each with its own capability, appeal, and look to the programmer. Some languages are particularly useful for specific purposes or computers. One unique intermediate language is IF1[1]. IF1 is based on directed acyclic graphs that depict inherent data dependencies. Unlike other languages, IF1 code does not explicitly imply a sequence of instructions to be executed, rather, it defines a data dependency graph which visually depicts the flow of data in a program.

This paper describes the construction of an IF1 compiler and associated analysis tools. The IF1 graph viewer is discussed in one chapter for both Microsoft Windows ${ }^{1}$ system and X-Windows environment. Also a discussion on a multiprocessor for simulating the scheduling of instructions based on a Multithreaded parallel processing Architecture[3][4] will be presented. Finally, the conclusion and further possible enhancements provided in the conclusion section.

### 1.1 Background

Although it is possible to write a program directly in IF1 code, the language was designed to be a low level intermediate form generated by a high level language compiler. As an example, the Sisal (Streams and Iterations in a Single Assignment Language)[2] compiler developed at Lawrence Livermore National Laboratory utilizes IF1 code. Sisal is

[^0]a functional language that takes advantage of parallelism in a program by compiling into a data dependency graph represented by IF1. IF1 provides a convenient programming medium for expressing large-scale scientific processes for execution on multiprocessor systems comprising hundreds, even thousands, of processors. The Sisal programming environment currently consists of a compiler, a debugger or interpreter, a profiler, and other tools. It can automatically correct a variety of syntax errors and performs a number of optimizations.

Unlike other languages, with Sisal, a programmer can indicate to the compiler instructions to be executed in parallel. The Sisal compiler then utilizes this information to generate IF1 code which is further translated to machine language.

To see the inherent parallelism in a program, it is convenient to view it visually by plotting the number of concurrent executing instructions versus the current clock cycle. A program that uses an IF1 graph to produce such a plot is included in the work described here.

### 1.2 Motivation

The IF1 compiler development effort described here is part of an ongoing project to develop a Multithreaded Parallel Processing Architecture. This project requires a data structure that represents the data dependency in a program. Thus, there is a need for a compiler that will parse an IF1 code and generate such a data structure. In addition, an IF1 graph viewer is found to be helpful to assist the programmer in debugging a program and
verifying results. Once the data structure has been created, graph traversal algorithms are used to estimate parallelism and execution time parameters.

### 1.2.1 Multithreaded Parallel Processing Architecture

This architecture is designed to exploit available parallelism in a program. Sections of code that are sequential may be scheduled as a single thread and sections of the code that are rich in parallelism may be partitioned into many concurrent threads. Figure 1.2.1.1 shows the diagram of the architecture.

The architecture uses two multiprocessor units, the graph engine (GE) and the computation engine (CE), that communicate using a dynamically reconfigurable interconnection network. One of the units is dedicated for instruction thread synchronization and the other for execution of the parallel threads. The main purpose of the graph engine is to enforce correct sequencing of parallel instructions based on dependencies while maintaining a high degree of parallelism among the computation threads. The computation engine can be viewed as a pool of computation processing elements (CPEs) which are allocated for executing various threads under the direction of the graph engine.


Figure 1.2.1.1. Conceptual Diagram of Proposed Architecture.

A program to be executed can be viewed as a graph with the vertices representing computation threads and the edges representing data dependencies. At program load time, information is stored in the GE memory corresponding to the program graph
interconnections while the CE memory contains the collection of instruction threads and locations for storing data. During normal operation, a Graph Processing Element (GPE) reads in a node structure from the program graph memory, updates pertinent fields in the node structure, and schedules the execution of successor nodes who have all input operands available. Any processor can execute any operation ready for execution. The graph engine simply places an entry into the ready to run queue and any available processor is free to access and execute the available instruction.

The program graph which is a true data dependence graph can be generated from any language. However, to maximally exploit parallelism, a functional parallel programming language, SISAL[2], has been used to generate the data dependence graph. This graph is known as an IF1 graph.

## 2. Compiler Construction

Unlike other compiler construction tasks whose objective is to produce executable or object code, the IF1 compiler described here generates a data structure which is intended to be loaded into the graph engine memory module of a decoupled, multithreaded computer. Figure 2.1 shows the main block diagram of the overall program.

The front end of the IF1 compiler consists of a lexical analyzer and a parser. The lexical analyzer simply generates tokens from the IF1 source code and passes them to the parser which generates a parse tree or Graph data structure.

The back end consists of the code generator, IF1 viewer, and simulator. The IF1 viewer displays the IF1 graph. The code generator reads the Graph data structure and generates executable data structure. The simulator then simulates the multithreaded computer to estimate the run time parameters and approximate the parallelism in a program.


Figure 2.1. Block Diagram of IF1 Parser And Viewer

After a discussion of the IF1 language, each of the components in the block diagram in Figure 2.1 will be described.

### 2.1 Description of IF1 Code and IF1 Graph

IF1 is a language that describes directed acyclic graphs. There are four components to the graph: nodes, edges, types and graph boundaries. Nodes denote operations, such as add, divide, and many others as listed in Appendix A of the IF1 manual[1]. Edges represent values or data that are passed from node to node, and types can be attached to each edge or function. Graph boundaries surround groups of nodes and edges. A node can be executed as soon as all of its inputs are available. For example, a graph that represents " $(a+b) / 2 "$ is shown in Figure 2.1.1.


Figure 2.1.1. Graph of " $(a+b) / 2 "$

The smaller boxes represent nodes. Currently, there are over fifty nodes defined in IF1. Both of the above nodes, or operations, require two input values and return one result. In general, the number of inputs and outputs vary according to the operation. The numbers inside the graph nodes indicate port numbers, which are used to distinguish multiple inputs and outputs. The arrows denote edges which represent data paths between nodes (or between nodes and graph boundaries). The edges also carry type information, which is not
shown in the picture. A special type of edge is used to describe literal constants. The notation "2" in Figure 2.1.1, is an example of a literal constant. Types can be specified as user-defined, or, by using the built-in types. Comments may be used for any purpose.

IF1 files comprise a number of lines that contain only printable ASCII characters, and are delimited by newline characters. The first non-blank (non-tab) character on the line distinguishes one component from the others. The following shows the IF1 code of the graph " $(\mathrm{a}+\mathrm{b}) / 2$ " shown in Figure 2.1.1.

| C | Average |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| T | 1 | Basic | Integer |  |  |
| X | 0 | "main" |  |  |  |
| N | 1 | Plus |  |  |  |
| N | 2 | Div |  |  |  |
| E | 0 | 1 | 1 | 1 | 1 |
| E | 0 | 2 | 1 | 2 | 1 |
| E | 1 | 1 | 2 | 1 |  |
| L | 2 | 2 | 1 | $" 2 "$ |  |
| E | 2 | 1 | 0 | 1 | 1 |

To be consistent with the convention of Sisal-generated IF1 code, a program must have at most one main graph (global function denoted by token ' X '). There can be any number of local graphs (local function denoted by token 'G') and external graphs (imported function denoted by token 'I'). Some tokens may be represented by an integer number. For example, Basic, Integer, Plus, and Div, can be replaced with integer values $1,3,141$, and 122 , respectively. A line starting with token ' C ' is a comment and anything that follows this character and precedes the newline is ignored. Note that comments generated by a Sisal compiler may contain some useful information.

To simplify and speed up the parsing stage, a sorting process is included. The sorting routine will move all the type tokens to the beginning of the file. Type is not dependent on scope or which subgraph it is used for. Some types are derived from another type. For such types, they have to follow the type they are derived from. The sorting process also moves all nodes or compound nodes within the subgraph to the beginning of the subgraph, and the edges and literals to the end of the subgraph. Note that a compound node itself is another subgraph.

A subgraph can be a function or a compound node. As a function, it will be called within another subgraph via a Call node. The following 5 cases are the compound nodes implemented in the IF1 compiler:

1) Select


Figure 2.1.2. Select Compound Node

A Select compound node is used to implement a multi-way selection such as if-thenelse or switch-case expressions. The output of the Selector subgraph determines which

Alternative subgraph is to be executed. Only one of all the possible alternative subgraphs' output edges will connect to the output of the Select graph.
2) Tag Case

The Tag Case compound node is not used very often. In Fact, of all 24 Livermore Loops[5], none of them use Tag Case. Thus the IF1 compiler does not generate a data structure for this compound node since its function is currently undefined for the target computer architecture. However, the IF1 viewer still recognizes this compound node.
3) ForAll


Figure 2.1.3. ForAll Compound Node

A ForAll compound node is used to denote independent execution of multiple instances of an expression. The Generator subgraph determines how many instances of the body subgraph are to be created.
4) LoopA


Figure 2.1.4. LoopA Compound Node

A LoopA compound node is used to implement iterative execution of an expression. It is similar to the do-while expression in the C language, in that the Body subgraph must execute at least once. The iteration is terminated when the output of Test subgraph (Boolean value) is false.
5) LoopB


Figure 2.1.5. LoopB Compound Node

A LoopB compound node is used to implement an iterative execution of an expression.
It is similar to the for $(; ;$ ) expression in the C language, where the Test subgraph is evaluated as soon as Initialization finishes. If the result of the test is false, the Return subgraph is executed next. If the result of the test is true, the Body subgraph will be executed and continue on until the subsequent test result is false. With this type of node, it is possible that the body may never execute.

### 2.2 Compiler Front End

To build a compiler, one can use a tool such as YACC (Yet Another Compiler Compiler) which generates a skeleton of the target compiler in the C language. However, in order to do this, one must know the complete BNF rules of the language. Due to inadequate documentation, some errors and incomplete BNF rules on the existing IF1 manual[1], and no prior experience in IF1 language, the author decided to build the skeleton manually while learning the IF1 language. The skeleton still follows the YACC's style so that one can easily modify the program if needed.

Parsing refers to the process of having a program convert phrases in the language into internal structures that can be easily processed by the code generator, which in this case is the IF1 viewer and the executable data structure generator[8].

The IF1 compiler front end performs the following tasks:

1. Identify tokens (lexical analyzer).

The complete token definition of IF1 language is given in [1]. Not all features of the IF1 language specification are recognized by the IF1 compiler; fibre formatted literal types are not currently implemented since not all versions of IF1 are able to process them[1]. Comments are not needed for the next stage, so they are ignored.
2. Parse each line according to BNF of IF1.

The somewhat complete BNF rules of IF1 language can be found in Appendix A of the IF1 manual[1]. The BNF rules turn out to be incomplete. Minor errors were also found. Fortunately, there is Sisal compiler that generates presumably correct IF1 code,
thus, the author ran several test programs and corrected or modified the BNF rules based on the generated IF1 code.
3. Sort components.

This was explained earlier. The sorting phase simplified the parser operation.
4. Build the Symbol Table

There are two symbol tables: type and node symbol tables.
■ The Type symbol table is very simple. Every type definition must have a unique label no matter where it is defined. The graph boundary is ignored here.

■ The Node symbol table is slightly more complex. All node type definitions must have unique label within the graph boundary. There may be another graph, a subgraph, within a graph with the same label as one used in another scope level. As far as the node labeling task is concerned, each subgraph is independent of another subgraph.

## 5. Build Parse Tree.

The parse tree generated is a Graph data structure which is described in great detail in Appendix A. This is not the executable data structure.

The result of the above processing steps is a Graph data structure The Graph data structure is in the form of a linked list that contains all pertinent information about the node, pointers to the successor nodes, and pointers to the predecessor nodes. All information needed to reconstruct the IF1 graph can be found in this linked list. The

Graph data structure also contains all the information to be used by the compiler back end, IF1 viewer and the code generator.

### 2.3 Compiler Back End

In this section, we will discuss the Code Generator part in Figure 2.1. The objective of the compiler is to generate an executable data structure that can be understood by the Multithreaded Multiprocessors project[3][4]. As discussed earlier, the executable program is constructed based upon IF1 code generated by a high level language compiler. The executable program consists of a linked list of executable nodes. Each executable node includes the operation to be performed, and state information of the next node to be scheduled for execution upon completion. All this information is stored in a data structure called a Node Template. In Figure 2.3.1, the primary fields in the structure and the type of the field are shown. As the architecture matures, more fields may be required.

| Node Template structure | Type |
| :---: | :--- |
| Node_Name | pointer to subroutine <br> integer <br> integer <br> Pred_Init <br> array of integer <br> integer <br> array of pointer to Node Template structure |
| Pred_Ptr |  |

Figure 2.3.1. Node Template Structure

Node_Name identifies the type of operation, such as: Add, Sub, Div, etc. It contains the address of the subroutine in computation memory required to perform the actual operation.

Pred_Init indicates number of predecessor node templates or simply the number of input operands. If all the input operands are available, then this node template is ready to be scheduled for execution. The predecessor node template must execute before this node template can be scheduled for execution.

Pred_Num indicates the number of instances of this node template that can be executed in parallel. This field may be updated during run time when the ForAll compound node is encountered.

Pred_Ptr is an array where each of its elements holds a counter associated with each instance of this node template. This array is allocated dynamically during run time and the number of elements to be allocated is Pred_Num. Initially, each element is assigned a value of Pred_Init.

Succ_Num indicates the number of successor node templates. The successor node template needs the result of this operation before it can be scheduled for execution. The Successor nodes execute after this node template.

Succ_Ptr is an array where each of element holds a pointer to the successor node templates. There are Succ_Num number of elements in the array.

The values of all the fields are known during compiler time, except for Pred_Num and Pred_Ptr which are computed during run time.

To build the executable data structure, the following steps are taken by the back end of the compiler resulting in the data structure.

1) The intermediate graph is traversed.

2a) During the interval, create a node template every time a node or a literal is found and update its predecessor node and successor node pointers.

2b) If a compound node is found, expand the node; in other words, go to step 1 , starting from the beginning of each subgraph. When all subgraphs are built, relate all inputs and outputs according to the implied dependency rules of the compound node.

2c) If a function is called, expand the graph of the function.
The steps ( 2 a and 2 b ) can go back to step 1. This is implemented as recursive function call. At some point within a subgraph there should be a terminal condition, otherwise, a stack overflow will result. Currently, this program does not support recursive function calls in an IF1 program since it is based on a graph traversal.

The final result is a linked list that starts from the main function. This linked list will be used by the IF1 viewer and the simulator which are discussed in Sections 3 and 4.

### 2.4 IF1 Example Program Graph

Figure 2.4.1 shows how to represent the expression " $(a+b) /(-c)$ " in an IF1 graph. The corresponding linked list of node templates, or the executable structure, is shown in Figure 2.4.2.


Figure 2.4.1. IF1 Graph of " $(a+b) /(-c) "$


Figure 2.4.2. Executable Structure of " $(a+b) /(-c) "$

The Add node requires two operands before it can be scheduled for execution. The Neg node needs only one operand. The Div node also requires two operands before it can execute. Following the flow of the linked list, it is seen that the Div node must wait for the Add and Neg nodes to finish before it can be scheduled for execution. Alternatively, the Add and Neg nodes are not linked to each other, thus they can execute in parallel.

The purpose of the fields Pred_Num and Pred_Ptr is better illustrated in an executable program which contains the ForAll instruction.

A ForAll compound node is very important for the exploitation of parallelism in a program. The following discussion refers to Figure 2.1.3 which shows the internal subgraphs in a ForAll node and the implied dependencies among the subgraphs. ForAll compound nodes consist of three subgraphs: generator, body, and result. The generator duplicates the body subgraph N times according to the computed range value. Assuming unlimited resources, all the duplicated subgraphs can be executed in parallel. The outputs of these subgraphs are then input to the result subgraph which in turn outputs the final result. A ForAll compound node is commonly found in processing an aggregated data type such as an array. For example, incrementing the value of each element in an array can be done in parallel since each element is independent of the other.

The bounds of a ForAll node are computed during run time, thus, the fields Pred_Num and Pred_Ptr can only be updated then. The reason for including these two fields is to efficiently use the program graph memory which holds the node template linked
list. Note that individual node template structures in each node contained in the body of the ForAll node are not duplicated, instead, only one node template structure is created and its field Pred_Ptr is expanded to $\mathbf{N}$ elements, where $\mathbf{N}$ is the number of instances.

The following example, Loop3, is taken from one of the Livermore Loops[5]. Loop3 calculates the inner product of $\mathbf{X}$ and $\mathbf{Z}$. Loop3 takes 3 inputs $\mathbf{n}, \mathbf{X}$, and $\mathbf{Z} . \mathbf{n}$ is the number of elements in the arrays $\mathbf{X}$ and $\mathbf{Z}$. It is clear that each multiplication operation is independent of the next or previous one. Thus, a ForAll compound node is a good choice here.

```
type double = double_real;
type OneD = array[d
function Loop3( n:integer; X,Z:OneD returns double )
    for i in 1,n
    Q := x[i] * Z[i]
    returns value of sum Q
    end for
end function
```

During normal operation, the first-level nodes are read from the program graph memory. There may be more than one first-level node. The example in Figure 2.4.4 has two first-level nodes, the Add and Neg nodes. These nodes are scheduled for execution initially. Upon completion, we decrement the Pred_Init counts of all the successor nodes of the just executed node. If the successor's Pred_Init count is decremented to zero, this signifies that all data are now available for the successor node to begin execution. If the count is not zero, this signifies that the successor node still has inputs pending and should not be scheduled for execution. In the case of a ForAll node, each element in successor's PredPtr array is decremented only if that particular instance of the predecessor has completed execution.


Figure 2.4.4. Node Template Linked List of Loop 3

## 3. Graphical Interface

A graphical display of the program graph was developed as a tool for further architecture and compiler development efforts. Although there already exists an IF1 browser, this browser is written in HyperCard and only runs on a Macintosh ${ }^{2}$ computer. Since the primary project development is on a Unix system, it is very inconvenient to have to use two different systems.

The graphical interface written for Microsoft Windows utilized C++ with the help of the MFC library from Microsoft. The compiler front end part is written in C so that it can be easily ported to an X Windows system. The graphical interface to the X Windows system uses the Xt toolkit and the Athena Widget which are available for free on virtually all X Windows systems. The look and feel may vary depending on the particular window manager being used.

Figures 3.1 and 3.2 show screen views of the two different versions of the IF1 Viewer. The MS Windows version in Figure 3.1 has added menu support. The window on the left is the primary window which will appear when the program runs. The window on the right will appear when the user double clicks (or single click on the X Windows version) one of the elements in the graph list. The right side window displays the IF1 graph of the selected function, in this example, the main function. The input file is defined via the File Menu on the MS Windows version. On the X Windows version, user must specify the input file in the command line.

[^1]

Figure 3.1. MS Windows Version of IF1 Viewer


Figure 3.2. X Windows Version of IF1 Viewer

The graph list contains a list of all functions defined in the IF1 code. In this example, there are only two functions for Loop3.if1. The upper box in the right window defines the variable name associated with each input or output port. The variable names are read from the IF1 code which may include special comments that specify the variable name. If such comments are not found, the box will not appear.

As discussed in the previous section, a graph may contain one or more subgraphs and the subgraph itself may contain more subgraphs. If a node appears grayed or doubleframed, it indicates that it contains a subgraph. If it is clicked, one or more subgraphs will appear. If the node is a call node to another function, only one subgraph will appear. If the node is a compound node such as ForAll, Select, LoopA, LoopB, or TagCase, $n$ subgraphs will appear where $n$ depends on the property of the node. For example, for a ForAll node, there will be three subgraphs: Range Generator, Body, and Return subgraphs.

Once an item in the Graph List (in the main window) is clicked or double-clicked, a pointer to its corresponding Graph structure is passed on to the callback function. This Graph structure is generated earlier by the compiler front end. Graph structure details are included in Appendix A.

Before the graph is laid out, we need to determine the level of each node which is done by traversing the subgraph. This traversing process determines the level of nodes within a subgraph. A node that depends only on input ports is a level-one node. A node whose inputs are all literals is also a level-one node. A node that depends on the output of
n -level node is an $(\mathrm{n}+1)$ level node. If the node depends on several nodes from different level, then it is an $\left(n_{j}+1\right)$ level node, where $n_{j}$ is the largest level of all predecessor nodes' levels. Figure 3.3 shows an example of an IF1 graph with the nodes and their corresponding levels.


Figure 3.3. Determining Node Level in IF1 Graph.
There are 5 main steps taken to lay out the nodes and the edges on a window which are illustrated in Figure 3.4.


## Figure 3.3. Steps Showing How The Graph Is Constructed.

1) Arrange all the input ports on the window.
2) Arrange all the nodes in such a way that the first-level nodes come first and the second-level nodes come next and so on. A compound node is identified by gray color in MS Windows or double framed in X Windows.
3) Position all the output ports after the last level nodes.
4) Draw all the edges between input or output ports and the nodes.
5) Position all the literals close to the pointed node and draw the edges.

Special care is taken to reduce number of overlapping lines. It is not uncommon to have a much larger IF1 graph than the one shown in Figure 2.4. In this case, the user needs to resize the window or grab the picture and move it up and down to see obscured portion of the graph.

## 4. Parallelism Analysis

This section describes the simulation capability and program. This program can be used to estimate the parallelism in an IF1 program and to generate other information that is of concern.

### 4.1 Methodology

The simulator does not actually simulate the running program. It simply does a graph traversal on the executable data structure and decides which node can be executed at every clock cycle. It is important to note that the simulator does not execute the node, it simply decides if a node can be executed. The number of nodes ready for execution can be more than one. This decision is based on the rules described below. The number of nodes that can be executed in parallel is called "Parallelism." Another result that is of interest is the total number of clock cycles needed to execute the program. For simplicity, the following assumptions are taken:

1) There are an unlimited number of resources (memory and processors).
2) Every simple node is executed in one clock cycle (including Noop).
3) All the compound nodes and internal functions are replaced by their corresponding subgraph.
4) Memory latency is ignored.
5) Communication delay between any two nodes is 0 .

The following rules are used to decide if a node can be executed and must be followed at all times:

1) A node can be scheduled for execution if and only if all the input operands are available. This is the paradigm of the dataflow model of computation.
2) A literal is readily available at any time.

Figure 4.1.1 shows the flowchart of the simulator. This chart has been simplified greatly. In the case where there is a loop, additional steps must be taken which include restoring Pred_Init of all nodes in the body subgraph.

The Execution pool holds all the nodes that are being executed and the Pending pools hold the nodes that are to be executed if the above rules are satisfied. The simulation is complete when the outputs of the program are reached.


The pools are a linked list of node template structure.

Starting point of the program. If the program has no input, the input could be literals.
predInit is the number of input operands of a node excluding the literals.

Remove the nodes that have been "executed"

For those nodes whose all input operands are available, scheduled them for execution.

Next Clock Cycle

If all the results have been resolved, quit. Otherwise, continue execution

Figure 4.1.1. Flowchart of The Simulator

To run the simulator, it is necessary to build the executable data structure or the so-called Node Template Structure. To build, select the Build menu item under the Action main menu and you will be asked for the value of $N$, where $\mathbf{N}$ is the number of iterations in every loop. The loop includes ForAll, LoopA, and LoopB compound nodes. In the case of LoopA and LoopB compound nodes, the body subgraph is executed $\mathbf{N}$ times. In the case of ForAll compound node, there are $\mathbf{N}$ body subgraphs to be executed in parallel. The reason there is a need for $\mathbf{N}$ is that the simulator cannot figure out when to terminate a loop since it does not actually execute the node. Thus, the result will not be the same as the actual machine simulation which executes the node and decides when to terminate a loop based on the result of execution.


Figure 4.1.2. Simulator Window

Once the Node Template Structure has been built, the window in Figure 4.1.2 will appear. The structure can then be simulated by clicking the Execute button. To see what nodes are being executed at every clock cycle, check the Show Progress check box, and the list box will list the executed nodes.

Some programs may have Select compound nodes which implies only one path will be taken out of $\mathbf{k}$ paths. For the if-then-else equivalent statement, $\mathbf{k}=2$, because there are only two paths to be chosen. Again, because the simulator does not compute the data value to decide which path to be taken, decision is based on which path is part of the critical path. If there are $\mathbf{j}$ number of Select compound nodes, there are $\mathbf{2}^{\mathbf{j}}$ paths to be decided; thus, the execution will take $\mathbf{2}^{\mathbf{j}}$ passes before it can decide which path is the longest path, thus, the ciritcal path. There could be more than one such path; in this case, only the first one is chosen. The pass number will be announced above the list box.

Once the simulation has completed, the Parallelism graph can be viewed by clicking the Graph button or it can be saved as a text file by clicking the Write to file button. The text file has the following format:

| Clock \# | Parallelism | \# of incoming arcs | \# of outgoing arcs |
| :--- | :--- | :--- | :--- |

The first column is the clock number, the second column is the parallelism at that clock cycle, the third column is the total number of incoming arcs at that clock cycle, and, the fourth column contains the total number of outgoing arcs at that clock cycle.

For the X-Windows version, click on the Build button to build the structure. The value of $\mathbf{N}$ is by default 10 but it can be changed via the command line. For example:

```
xif1viewer loop1.if1 }2
```

The above command will execute the if1viewer with the IF1 program loop1.if1 and $\mathbf{N}$ value of $\mathbf{2 5}$. When building is complete, click on Execute button to execute. The result will be stored to a text file which has the same format as that of MS Windows version.

### 4.2 Results

The Livermore Loops were used to test the simulator. The Livermore Loops are FORTRAN loops from actual production codes that run at Lawrence Livermore National Laboratory. They represent the type of computation kernels typically found in large-scale scientific computing. They range from common mathematical operations, such as inner product and matrix multiplication to searching and sorting algorithms. The loops provide an excellent test bed to evaluate the appropriateness and expressive power of parallel languages and architectures. The Sisal source codes of all the 24 Livermore loops are listed in Appendix C.

Table 4.2.1. shows the value of $\mathbf{N}$ chosen for each loop. Any other value of $\mathbf{N}$ can be used, however, it must be taken into account that some programs may have nested loops which will drastically increase the size of the output and the parallelism graph may look very packed as is shown in some of the results.

| Loop Name | Value of N | \# of Levels | \# of Node <br> Templates |
| :---: | :---: | :---: | :---: |
| Loop 1 | 990 | 9 | 13 |
| Loop 2 | 3 | 99 | 27 |
| Loop 3 | 1001 | 4 | 5 |
| Loop 4 | 35 | 16 | 109 |
| Loop 5 | 25 | 103 | 8 |
| Loop 6 | 10 | 93 | 15 |
| Loop 7 | 995 | 13 | 34 |


| Loop 8 | 100 | 16 | 119 |
| :---: | :---: | :---: | :---: |
| Loop 9 | 101 | 15 | 40 |
| Loop 10 | 101 | 15 | 50 |
| Loop 11 | 25 | 78 | 6 |
| Loop 12 | 1000 | 6 | 7 |
| Loop 13 | 3 | 141 | 162 |
| Loop 15 | 101 | 24 | 160 |
| Loop 19 | 5 | 74 | 28 |
| Loop 20 | 5 | 132 | 69 |
| Loop 21 | 10 | 12 | 16 |
| Loop 22 | 101 | 13 | 18 |
| Loop 24 | 10 | 62 | 10 |

Table 4.2.1.
The parallelism profiles are listed in Appendix D. There are two graphs associated with each program. The first one is the plot of the number of incoming arcs and outgoing arcs at every clock cycle. The other graph is the plot of parallelism at every clock cycle.

There is a similar simulation done by John T. Feo[6]. One similarity between the two is that both respect data and logical dependencies among nodes. However, the results of the simulation differ from the ones we have here because of the way a program is simulated. The main difference is that Feo computed the parallelism based on the result of Sisal interpreter and profiler which emulate execution of every operation based on the input data and passes the data to the next node. Thus, the loops whose number of iterations are dependent on a variable will terminate when the certain condition is met. Similarly, when decision is needed to decide which path is to be taken when Select compound node is found, the Sisal Interpreter actually computes the Selector subgraph and chooses the path based on the result of computation. On the other hand, our simulator iterates all loops $\mathbf{N}$ times where $\mathbf{N}$ is fixed. And when a Select compound node is found,
only the path that contributes to the critical path is taken. No actual data computation is performed.

Another difference that plays an important role is that our simulator associates one node with one operation. Feo's, on the other hand, also considers the scattering and gathering latencies. This is better illustrated in a program that uses the ForAll compound node as shown below, in fact, only in the ForAll node can this difference be noted.


Figure 4.2.1. ForAll Graph.
Assuming that Figure 4.2 .1 is the overall IF1 graph and in each subgraph there is only one level node, then the following table shows the result based on Feo's (left) and ours (right).

| Clock \# | Sisal Interpreter | Our Simulator |
| :---: | :---: | :---: |
| 1 | N | 1 |
| 2 | $\mathrm{~N} *$ \# of nodes | $\mathrm{N} *$ \# of nodes |
| 3 | N | 1 |

At clock \# 1, Feo assumes that $\mathbf{N}$ body subgraphs have been scattered, thus there are $\mathbf{N}$ operations. At clock \# 2, assuming the depth of the body subgraphs is only one and there are $\mathbf{k}$ nodes, then there are $(\mathbf{N} * \mathbf{k})$ operations. At clock \# 3, there are $\mathbf{N}$ results,
which are gathered, so there are $\mathbf{N}$ operations. In contrast, our simulator only counts the total number of nodes at each clock \#.

The next example is one of the Livermore Loops, Loop 3. This IF1 program has been stripped such that only the loop itself is present, the main function that calls the loop is removed. The IF1 graph is shown in Figure 4.2.2. The result is shown in the following table and plotted in Figure 4.2.3.

| Clock \# | Sisal Interpreter | Our Simulator |
| :---: | :---: | :---: |
| 1 | 1001 | 1 |
| 2 | 2002 | 2002 |
| 3 | 1001 | 1001 |
| 4 | 1001 | 1 |

Scatter

Gather


Figure 4.2.2. IF1 Graph of Loop 3

Note that the body subgraph is duplicated $\mathbf{N}$ times which is not shown here for efficiency reasons. Recall that in the executable data structure, the body subgraph is not duplicated;
instead, the field Pred_Ptr will grow to $\mathbf{N}$ elements and Pred_Num will be $\mathbf{N}$ resulting in graph memory conservation in the target architecture.

4.2.3. Parallelism Graph of Loop 3.

Figure 4.2.3 shows the plots of the parallelism based on the Sisal Interpreter and our simulator. As can be clearly seen, only prior to and after the body subgraphs are the results different because one takes into account the scattering and gathering latencies, whereas the other does not. Within the body subgraphs, however, the results are exactly the same.

Appendix D shows the graphs of all the test programs as mentioned earlier. Both parallelism and incoming or outgoing arcs are plotted for each test case. The Sisal source codes of all these 24 Livermore Loops (including several that are not simulated) are included in Appendix C. All these files and Sisal compiler are available at http://sisal.llnl.gov/

## 5. Conclusion And Future Work

The objective of this project is to create a compiler that will parse an IF1 program and generate an executable data structure to be used by a Multithreaded Parallel Processing Architecture[3][4]. This objective has been achieved successfully. In addition, several tools that are needed to support the ongoing research have also been developed. These tools are the IF1 Viewer and the Simulator. The IF1 Viewer helps researchers to see the IF1 graph visually, thus, enables them to quickly see the flow of data based on the data dependence restrictions. The simulator enables researchers to estimate the number of resources or processors required by a program given the desired input parameters. It does this by computing the parallelism in a program, thus, shows what programs are or are not rich in parallelism.

Several enhancements can be made to the compiler. Though it has successfully generated the executable data structures for all 24 Livermore Loops, it may fail to do so for other exceptional IF1 programs. This may due to new enhancement added to the IF1 language itself or the inability of IF1 compiler to recognize some tokens that are not currently supported. The IF1 compiler also does not support recursive function call due to the graph traversal algorithm used. One thing that can certainly be improved is the user interface. Though it plays little role in the whole project, it eases the interaction between the user and the program. Lastly, new optimization methods have been identified that should be incorporated into the compiler back end[7].

Future work is still needed to fully utilize the result generated by IF1 compiler. There is a need to convert the executable data structure into graph engine memory image
so that graph processing elements can efficiently read the graph information and process it accordingly. There is also a need for a template that associates a node with its corresponding assembly instructions. Processors with the same architecture or assembly instructions can use a template created solely for them, and other processors with different architecture can use different template created for them. Thus, it allows various processors to exist and work together in one system.

Finally, more work may be needed as the architecture matures. The program has been written and categorized into several files to allow other programmers to quickly find and modify parts of the program as needed. Some platform independent codes are separated into different files. It is the intention of the author to ease any future enhancement to the program.

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## Appendix A <br> Graph And Other Structures

The following data structures are defined in file compiler.h. Only those structures needed to build minimal IF1 compiler are described here. The minimal IF1 compile, described in Appendix B, reads IF1 source code and generate a node template linked list.

NODETEMPLATE structure

| char *nodename | currently points to a string that indicates the <br> name of the node. |
| :--- | :--- |
| int predInit | is the number of predecessor. Only predecessors <br> with type = NT_NODE are counted. |
| int predNum | indicates there are predNum elements in <br> predPtr array. |
| Int *predPtr | is an array of size predNum. Each element has a <br> value of predInit. The size is currently one <br> element. More elements may need to be <br> allocated during run time. The number of <br> elements should correnpond to the number of <br> instances created for this node. |
| int succNum | is the number of elements in succPtr array. <br> NODETEMPLATE **succPtr <br> is an array of size succNum. Each element is a <br> pointer to successors. |
| NTTYPE type | indicates the type of node: NT_NODE for <br> simple node; NT_LITERAL for literal. |
| int predecNum | is similar to predInit but all predecessors are <br> counted, including literals. |
| NODETEMPLATE **predecPtr | is similar to succPtr, but it holds pointers to all <br> predecessors, including literals. There are <br> predecNum elements in this array. |
| int level | indicates the level of node. |
| int nCase | Indicates that this node will be executed <br> depending on the output of predecessor node. If <br> nCase = 10, then this node is executed if only if <br> the output of predecessor node is FALSE. If <br> nCase = 20, then it is executed if the output of <br> predecessor node is TRUE. These two cases are <br> used to determine when to stop executing body <br> of LoopA or LoopB. <br> If 0 < nCase < 10, then this node is executed |


|  | when the output of predecessor node is nCase. <br> This is used in switch-case or if-then-else <br> statement. Currently, only 10 cases are <br> supported. |
| :--- | :--- |
| SCOPING *scoping | contains the scope information of the node. |
| NTREL *succType | lis an array of size succNum. Element no n <br> indicates relation between this node and the <br> successor no $n$, |
| int depthOfScope | indicates the depth of the scope where this node <br> is in. Inner scope has larger depthOfScope than <br> outer scope: NTREL_DATADEP for true data <br> dependency; and NTREL_IMPLIEDDEP for <br> implied dependency. |
| NODE *n | is a pointer to part of GRAPH data structure. |

SCOPING structure

| int cnId | is a unique ID of the compound node where this node is in. |
| :--- | :--- |
| int gId | is a unique ID of the graph where this node is in. |
| int $\mathbf{g N o}$ | indicates what subgraph in a compound node this node is in. <br> If $\mathbf{g N o}=0$, then it is not in any compound node. If $\mathbf{g N o}=1$, then <br> it is the first subgraph of the compound node. The first subgraph <br> of ForAll compound node is "Range Generator", that of LoopA <br> or LoopB compound node is "Initialization", that of Select <br> compound node is "Selector." |
| int inst | is the number of instances to be generated for this node. |
| SCOPING *link | is a pointer to outer scope. |

NODE structure

| COMPONENT *node | points to IF1 information of the node, such as: name of <br> node, line no, input and output port numbers. |
| :--- | :--- |
| int noInPort | is the number of input ports of this node. |
| int noOutPort | is the number of output ports of this node. |
| PORT *outPort | is an array of type PORT. If port no $\mathbf{k}$ connects to a <br> node, then output[k] contains pointer to the pointed <br> node. If it points to the output of a graph boundary, <br> output[k] is NULL. |
| GRAPH *graph | is undefined if node is not a compound node. If the node <br> is a compound node, graph points to a GRAPH <br> structure of the compound node. Note that a compound <br> node is a subgraph. |
| NODE *next | is a linked list of all nodes within the subgraph or graph <br> boundary. |
| int level | is the level of the node within the subgraph. |


| NODETEMPLATE *nt | points to the corresponding node template structure. |
| :--- | :--- |
| NTYPE type | is the type of the node: N_NODE for simple node; <br> N_FUNCTION for function call; and N_CNODE for <br> compound node. |

COMPONENT structure

| TOKEN *token | indicates the type of token: opencurly, closecurly, quote, <br> number, literal, etc. |
| :--- | :--- |
| int lineNo | indicates where this component is defined in the IF1 file. |
| COMPONENT $*$ next | points to the next component. |

PORT structure

| int portNo | is the port number. |
| :--- | :--- |
| NODE *node | points to a node where this port is connected to. |
| PORT *next | is a linked list of PORT that points to all nodes that this <br> port connects to. Note that a port may connect to more <br> than one node. The end of list is reached when next is <br> NULL. |

## GRAPH structure

| COMPONENT *graph | is the IF1 information on this graph. Only components <br> with first tokens $\mathbf{X}$ and $\mathbf{G}$ are represented. |
| :--- | :--- |
| int noInPort | is the number of input ports of this graph. |
| int noOutPort | is the number of output ports of this graph. |
| PORT *inPort | is an array of size (noInPort $+\mathbf{1})$ elements. Each <br> element points to a node. If the element points to the <br> output of the graph, the element is NULL. |
| GRAPH *next | points to the next subgraph. This is only used by <br> compound node where there are several subgraphs in one <br> compound node. For example, ForAll has 3 subgraphs. |
| NODE *nodeLList | is a linked list of all nodes in this subgraph. |
| LITERAL *literalLList | is s linked list of all literals in this subgraph. |

LITERAL structure

| NODE *node | points to node whose one of the inputs is this literal. |
| :--- | :--- |
| int portNo | indicates which input port of a node that this literal <br> connects to. |
| COMPONENT *literal | points to the IF1 information of this literal. |
| LITERAL *next | is a linked list of all literals in this graph boundary. |
| NODETEMPLATE *nt | points to a node template associated with this literal. |

## Appendix B File Description

Common Files for both MFC version and X Windows version of IF1 compiler:

| compiler.h | External function and variable definitions. |
| :--- | :--- |
| token.h | List of all IF1 basic types and nodes. |
| keyword.h | Tables containing strings and their numeric definitions. |
| token.cpp | Lexical Analyzer. |
| parse.cpp | IF1 Parser. |
| sort.cpp | Component sorter. |
| symtab.cpp | Symbol table builder. |
| Build.cpp | Parse tree builder (generates Graph data structure). |
| nodetemp.cpp | Node template linked list builder. |
| Common.cpp | Common and basic functions (initialization, safe malloc, etc). |
| linklist.h <br> linklist.cpp | Link list class (used by IF1 Viewer only). |
| ptrarray.h <br> ptrarray.cpp | Dynamically rezisable array class. |
| ntclass.h <br> ntclass.cpp | Node Template class (used by node template builder). |
| wiretrac.h <br> wiretrac.cpp | Wire tracker class (used by IF1 Viewer to keep track of lines <br> from overlapping). |
| object.h <br> object.cpp | Basic class of all other classes. This is a base class for <br> LinkList, PtrArray, NTClass, WireTracker classes. |

MFC-specific Files:

| if1viewr.h <br> if1viewr.cpp | Constructor initialization (generated by Visual C++). |
| :--- | :--- |
| mainfrm.h <br> mainfrm.cpp | The main frame of the application (generated by Visual C++). |
| if1vidoc.h <br> if1vidoc.cpp | Document part of MFC's Doc-View paradigm (generated by <br> Visual C++). |
| if1vivw.h <br> if1vivw.cpp | Viewer part of MFC's Doc-View paradigm (generated by <br> Visual C++). |
| stdafx.h <br> stdafx.cpp | MFC header files. |
| subgraph.h <br> subgraph.cpp | A derived dialog class that displays IF1 graph. |
| dispnt.h <br> dispnt.cpp | A derived dialog class that displays Node Template linked list. |


| debugdia.h <br> debugdia.cpp | A simulator dialog box. |
| :--- | :--- |
| pargraph.h <br> pargraph.cpp | The parallelism graph viewer. |
| graphbtn.h <br> graphbtn.cpp | A derived button class to indicate a node with internal graph <br> (used to indicate compound nodes or function calls). |
| loopdlg.h <br> loopdlg.cpp | A dialog box asking the user for a value of N. |
| resource.h | Windows resource definition. |
| if1viewr.rc | Windows resource file. |

X Windows-specific Files:

| main.cpp | Main function. |
| :--- | :--- |
| subgrapx.h <br> subgrapx.cpp | A class that displays IF1 graph |
| metafile.h <br> metafile.cpp | A metafile class used to emulate windows metafile on X <br> windows system. |
| msgbox.h <br> msgbox.cpp | A class that displays messages to user. |

A minimal IF1 compiler will require these files:
compiler.h, token.h, keyword.h, token.cpp, parse.cpp, sort.cpp, symtab.cpp, Build.cpp, nodetemp.cpp, Common.cpp, ptrarray.h, ptrarray.cpp, ntclass.h, ntclass.cpp, object.h, object.cpp, and main.cpp file which contains the following code:

```
#include <stdio.h>
#include "compiler.h"
void main(int argc, char **argv) {
    nLoop = atoi(argv[2]); /* value of n */
    Filename = argv[1];
    InitializeVariables(); /* Initialize necessary variables */
    Parse(); /* parse IF1 */
    SortComponents(); /* sort components */
    BuildTypeSymbolTable(); /* build symbol tables */
    BuildGraphSymTab(); /* build graph symbol tables */
    BuildGraph(); /* build parse tree (Graph structure)*/
    TraverseGraph(rootGraphStructure.next);
                                    /* Traversing Graph to calculate */
                            /* level */
    BuildStructure(); /* build the Node Template linked list */
}
```

The node template linked list starts from variables input which is an array of pointers to NODETEMPLATE structure.

```
NODETEMPLATE **input;
```

There are $\mathbf{k}$ number of elements, where $\mathbf{k}$ is the number of input variables of the function. For example, Loop1 which has the following function definition:

```
function Loop1( n:integer; Q,R,T:double; Y,Z:OneD returns OneD )
```

has 6 input variables: $\mathbf{n}, \mathbf{Q}, \mathbf{R}, \mathbf{T}, \mathbf{Y}$, and $\mathbf{Z}$
input[0] points to node template $\mathbf{n}$.
input[1] points to node template $\mathbf{Q}$.
input[2] points to node template $\mathbf{R}$.
input[3] points to node template $\mathbf{T}$.
input[4] points to node template $\mathbf{Y}$.
input[5] points to node template $\mathbf{Z}$.
input[0]->succPtr[0] points to the node that takes $\mathbf{n}$ as one of the inputs.
input[1]->succPtr[0] points to the node that takes $\mathbf{Q}$ as one of the inputs.
*
*
*
input[5]->succPtr[0] points to the node that takes $\mathbf{Z}$ as one of the inputs.
The number of input variables or $\mathbf{k}$ is equal to (mainGraph->noInPort $+\mathbf{1}$ ), where mainGraph is of type GRAPH*. MainGraph points to the Loop1 GRAPH structure.

GRAPH *mainGraph;
The linked list could have more than one endpoints (where the linked list terminates). These endpoints are reached when the traversal finds output[m] node templates, where $\mathbf{m}$ is the number of return variables. For example, Loop1 has only one return value, thus, the size of output is 1 element.

Output[0] points to node template OneD.

NODETEMPLATE **output;

# Appendix C Sisal Source Codes of The 24 Livermore Loops 

```
% LOOP 1
% Hydro Fragment
% Parallel Algorithm
Define Main
type double = double_real;
type OneD = array[d
function Loop1( n:integer; Q,R,T:double; Y,Z:OneD returns OneD )
    for K in 1,n
        X := Q + (Y[K] * (R * Z[K+10] + T * Z[K+11]))
    returns array of X
    end for
end function
function Main( rep,n:integer; Q,R,T:double; Y,Z:OneD returns OneD )
    for i in 1, rep
        X := Loop1( n, Q, R, T, Y, Z );
    returns value of }
    end for
end function
```

\% LOOP 2
\% ICCG Excerpt (Incomplete Cholesky - Conjugate Gradient)
\% Sequential Algorithm
Define Main
type double = double_real;
type Oned = array[double];
function Loop2( $n$ :integer; V,Xin:OneD returns OneD )
for initial
IL $:=n$;
IPNTP := 0;
$\mathrm{x} \quad:=\mathrm{Xin}$;
while ( IL > 1 ) repeat
IPNT $:=$ old IPNTP;
IPNTP := old IPNTP + old IL;
IL $\quad:=$ old IL / 2;
$\mathrm{X} \quad:=$ for initial
k $:=$ IPNT+2;
Xt := old X;
i $:=$ IPNTP;
while ( $k$ <= IPNTP ) repeat
$k:=$ old $k+2$;
$i \quad:=$ old $i+1$;
Xt := old Xt[i: old Xt[old k] -
(V[old k] * old Xt[old k-1]) +
(V[old k+1] * old Xt[old k+1])];
returns value of Xt
end for;
returns value of x
end for
end function
function Main( rep, n :integer; $\mathrm{v}, \mathrm{Xin}$ : Oned returns OneD )
for initial
i : = 1 ;
X := Xín;
while ( i <= rep ) repeat
i : = old i + 1 ;
$x:=$ Loop2 ( $n, v$, old $x$ );
returns value of $x$
end for
end function
\% LOOP 3
\% Inner Product

```
Define Main
type double = double_real;
type OneD = array[double];
function Loop3( n:integer; X,Z:OneD returns double )
    for i in 1,n
        Q := X[i] * Z[i]
    returns value of sum O
    end for
end function
function Main( rep,n:integer; x,Z:OneD returns double )
    for i in 1, rep
        v := Loop3( n, x,z );
    returns value of v
    end for
end function
```

\% LOOP 4
\% Banded Linear Equations
\% Parallel Algorithm
Define Main
type double = double_real;
type Oned = array[double];
function Loop4(n: integer; $\mathrm{X}, \mathrm{Y}:$ OneD returns OneD )
let
steps := n / 5;
T1, T2, T3 :
if steps < 6 then
X[6] - for in in steps
returns value of sum
$\mathrm{X}[6-6+i] * Y[5 * i]$
end for,
x[503] - for i in 1, steps
returns value of sum
$\mathrm{X}[503-6+i] * \mathrm{Y}[5$ * i$]$
end for,
X[1000] - for i in 1, steps
returns value of sum
$\mathrm{X}[1000-6+i] * Y[5$ * $i]$
end for
else
( (1.0dO - Y[30]) *
(X[6] - for i in 1,5
returns value of sum
$\mathrm{X}[6-6+i]$ * $\mathrm{Y}[5$ * i$]$
end for))
- for i in 7, steps
returns value of sum
$\mathrm{X}[6-6+i] * Y[5$ * $i]$
end for,
( (1.0dO - Y[30]) *
(x[503] - for i in 1, 5
returns value of sum
$\mathrm{X}[503-6+i]$ * $\mathrm{Y}[5$ * i$]$
end for))
- for i in 7, steps
returns value of sum
$\mathrm{X}[503-6+i] * Y[5$ * $i]$
end for,
( (1.0d0 - Y[30]) *
(X[1000] - for i in 1, 5
returns value of sum
$\mathrm{X}[1000-6+i] * Y[5$ * $i]$
end for))
- for i in 7, steps
returns value of sum
$\mathrm{x}[1000-6+\mathrm{i}]$ * $\mathrm{Y}[5$ * i$]$
end for
end if
X[6: T1 * Y[5]; 503: T2 * Y[5]; 1000: T3 * Y[5]]
end let
end function

```
function Main( rep,n:integer; Xin,Y:OneD returns OneD )
    for initial
            i := 1;
    x := Xin;
    while ( i <= rep ) repeat
        i := old i + 1;
        X := Loop4( n, old X , Y );
    returns value of }
    end for
end function
% LOOP 5
% Tri-Diangonal Elimination, Below Diagonal
% Sequential Algorithm
Define Main
type double = double_real;
type OneD = array[double];
function Loop5( n:integer; XIn,Y,Z: OneD returns OneD )
    for initial
        i := 2;
        x := XIn[1]
    while i <= n repeat
        i := old i + 1;
        X := Z[old i] * (Y[old i] - old X)
    returns array of X
    end for
end function
function Main( rep,n:integer; Xin,Y,Z:OneD returns OneD )
    for i in 1, rep
        x := Loop5( n, Xin, Y, Z );
    returns value of X
    end for
end function
```

```
% LOOP }
% General Linear Recurrence Equations
% Parallel Algorithm
Define Main
type double = double real;
type Oned = array[double];
type TwoD = array[OneD];
function Loop6( n:integer; B:TwoD; Win:OneD returns OneD )
    for initial
        i := 2;
        W := Win;
    while i <= n repeat
        i := old i + 1;
        V := for k in 1, old i - 1 returns
            value of sum B[old i,k] * old W[old i - k]
            end for;
        W := old W[old i: old W[old i] + V];
    returns value of W
    end for
end function
function Main( rep,n:integer; B:TwoD; Win:OneD returns OneD )
    for initial
        i := 1;
        W := Win;
    while ( i <= rep ) repeat
        i := old i + 1;
        W := Loop6( n, B, old W );
    returns value of W
    end for
end function
```

\% LOOP 7
\% Equation of State Fragment

```
Define Main
type double = double_real;
type OneD = array[double];
function Loop7( n:integer; R,T:double; U,Y,Z: OneD; returns OneD )
    for k in 1,n returns
    array of U[k] + R * (Z[k] + R * Y[k])
                + T * (U[k+3] + R * (U[k+2] + R * U[k+1])
                        + T * (U[k+6] + R * (U[k+5] + R * U[k+4])))
    end for
end function
function Main( rep,n:integer; R,T:double; U,Y,Z: OneD; returns OneD )
    for i in 1, rep
        W := Loop7( n, R, T, U, Y, Z );
    returns value of W
    end for
end function
% LOOP }
% A. D. I. Integration
% Parallel Algorithm
Define Main
type double = double_real;
type OneD = array[double];
type TwoD = array[OneD];
type Threed = array[TwoD];
function Loop8( n:integer; A11,A12,A13,A21,A22,A23:double;
        A31,A32,A33,SIG:double; U1,U2,U3:ThreeD;
    returns ThreeD, ThreeD, ThreeD )
    for kx in 2,3
        V1,
        V3':= for ky in 2,n
                        DU1 := U1[kx,1,ky+1] - U1[kx,1,ky-1];
                                DU2 := U2[kx,1,ky+1] - U2[kx,1,ky-1];
                            DU3 := U3[kx,1,ky+1] - U3[kx,1,ky-1];
                        V1 := U1[kx,1,ky] + A11 * DU1 + A12 * DU2 + A13 * DU3 +
                SIG * (U1[kx+1,1,ky] - 2.0dO * U1[kx,1,ky] + U1[kx-1,1,ky]);
                        V2 := U2[kx,1,ky] + A21 * DU1 + A22 * DU2 + A23 * DU3 +
                SIG * (U2[kx+1,1,ky] - 2.OdO * U2[kx,1,ky] + U2[kx-1,1,ky]);
                            V3 := U3[kx,1,ky] + A31 * DU1 + A32 * DU2 + A33 * DU3 +
                                    SIG * (U3[kx+1,1,ky] - 2.0dO * U3[kx,1,ky] + U3[kx-1,1,ky]);
                    returns array of v1
                        array of v2
                        array of V3
                    end for;
        M1 := array [1: V1 ];
        M2 := array [1: v2 ];
        M3 := array [1: V3 ];
    returns array of M1
            array of M2
            array of M3
    end for
end function
function Main( rep,n:integer; A11,A12,A13,A21,A22,A23:double;
                                    A31,A32,A33,SIG:double; U1in,U2in,U3in:ThreeD;
                                    returns Threed, ThreeD, Threed )
    for i in 1, rep
            U1, U2, U3 := Loop8( n, A11, A12, A13, A21, A22, A23,
                A31, A32, A33, SIG, U1in, U2in, U3in );
    returns value of U1
            value of U2
            value of U3
    end for
end function
```

```
% Integrate Predictors
% Parallel Algorithm
Define Main
type double = double real;
type OneD = array[\overline{double];}
type Twod = array[OneD];
function Loop9( n:integer; CO,DM22,DM23,DM24,DM25:double;
                    DM26,DM27,DM28:double; PX:TwoD returns OneD )
    for i in 1,n returns
    array of PX[3,i] +
        CO * (PX[5,i] + PX[6,i]) +
        DM22 * PX[7,i] + DM23 * PX[8,i] +
        DM24 * PX[9,i] + DM25 * PX[10,i] +
        DM26 * PX[11,i] + DM27 * PX[12,i] +
        DM28 * PX[13,i]
    end for
end function
function Main( rep,n:integer; CO,DM22,DM23,DM24,DM25:double;
                DM26,DM27,DM28:double; PXin:TwoD returns OneD )
    for i in 1,rep
        PXr := LOOp9( n, CO, DM22, DM23, DM24, DM25, DM26, DM27, DM28, PXin )
    returns value of PXr
    end for
end function
```

```
% LOOP 10
% Difference Predictors
% Modified Parallel Algorithm
% SHOULD REWRITE FOR POINTER SWAP!!!
Define Main
```

type double = double_real;
type OneD = array[double];
type Twod = array[OneD];
function Loop10( rep,n:integer; CX,PXin:TwoD returns TwoD )
let
PX6, PX7, PX8, PX9, PX10, PX11, PX12, PX13, PX14 :=
for i in 1, $n$
PX5 := CX[5,i];
PX6 := PX5 - PXin [5,i];
PX7 := PX6 - PXin[6,i];
PX8 := PX7 - PXin[7,i];
PX9 := PX8 - PXin $[8, i]$;
PX10 := PX9 - PXin[9,i];
PX11 := PX10 - PXin $[10, i]$
PX12 := PX11 - PXin[11,i];
PX13 := PX12 - PXin $[12, i] ;$
PX14 := PX13 - PXin[13,i];
returns array of PX6
array of PX7
array of PX8
array of PX9
array of PX10
array of PX11
array of PX12
array of PX13
array of PX14
end for
in
PXin[5:CX[5], PX6, PX7, PX8, PX9, PX10, PX11, PX12, PX13, PX14]
end let
end function
function Main( rep,n:integer; CX,PXin:TwoD returns TwoD )
let
NewPX := for initial
i $:=1$;
PX := PXin;
while ( i <= rep ) repeat
i : $=$ old $i+1$;
PX := Loop10( i, n, CX, old PX )
returns value of PX
end for
in

```
    array_adjust( NewPX, 5, array_limh( NewPX ) )
end let
end function
% LOOP 11
% First Sum
% Sequential Algorithm
Define Main
type double = double_real;
type OneD = array[d
function Loop11( n:integer; Yin:OneD returns OneD )
    for initial
        i := 2;
        x := yin[1];
    while ( i <= n ) repeat
        i := old i + 1;
        X := old X + Yin[old i];
    returns array of x
    end for
end function
function Main( rep,n:integer; Yin:OneD returns OneD )
    for i in 1,rep
        Y := Loop11( n, Yin );
    returns value of Y
    end for
end function
```

\% LOOP 12
\% First Difference
Define Main
type double $=$ double_real;
type OneD = array[double];
function Loop12( $\mathrm{n}:$ integer; $\mathrm{Y}:$ OneD returns OneD )
for i in $1, n$ returns
array of $Y[i+1]-Y[i]$
end for
end function
function Main( rep, n:integer; Yin:OneD returns OneD )
for in in rep
Y : = Loop12 ( $\mathrm{n}, \mathrm{Yin}$ ) ;
returns value of $Y$
end for
end function

```
% LOOP 13
% 2-D PIC Particle In Cell
Define Main
type double = double_real;
type IOneD = array[integer];
type OneD = array[double];
type Twod = array[OneD];
function MOD2N(i, j: integer returns integer)
    if i < O then
        i - (i / j * j) + j / 2 + abs(j/2)
    else
        i - (i / j * j) + j / 2 - abs(j/2)
    end if
end function
function Loop13( n:integer;
                        E,F:IOneD; B,C,Hin,Pin:TwoD;
                Y,Z:OneD returns TwoD,TwoD)
    for initial
        i := 0;
        H := Hin;
        P := Pin
```

```
    while i < n repeat
    i := old i + 1;
    i1 := 1 + MOD2N(Trunc(old P[1,i]),64);
    j1 := 1 + MOD2N(Trunc(old P[2,i]),64);
    P1 := old P[4,i: old P[4,i] + C[i1,j1];
            3,i: old P[3,i] + B[i1,j1];
                        2,i: old P[2,i] + old P[4,i] + C[i1,j1];
                        1,i: old P[1,i] + old P[3,i] + B[i1,j1]];
    i2 := MOD2N(Trunc(P1[1,i]),64);
    j2 := MOD2N(Trunc(P1[2,i]),64);
    i3 := i2 + E[i2+32];
    j3:= j2 + F[j2+32];
    P := P1[1,i: P1[1,i] + Y[i2+32];
                2,i: P1[2,i] + Z[j2+32]];
    H := old H[i3,j3: old H[i3,j3] + 1.0d0]
    returns
    value of H
    value of P
    end for
end function
function Main( rep,n:integer;
            E,F:IOneD; B,C,Hin,Pin:TwoD;
            Y,Z:OneD returns TwoD,TwoD)
    for initial
        i := 1;
        H := Hin;
        P := Pin;
    while ( i <= rep ) repeat
        i := old i + 1;
        H,P := Loop13( n, E, F, B, C, old H, old P, Y, Z )
    returns value of H
        value of P
    end for
end function
```

\% LOOP 14
\% 1-D PIC Particle in Cell
Define Main
type double $=$ double_real;
type IOned = array[integer];
type OneD = array[double];
function MOD2N(i, $j:$ integer returns integer)
if $i<0$ then
i - (i / j * j) + j / $2+a b s(j / 2)$
else
i_(i/j*j)+j/2-abs(j/2)
end if
end function
function Loop14( rep,n:integer; FLX:double;
DEXin, EXin, GRD,RHIn : OneD
returns OneD,OneD,IOneD,IOneD,
Oned, Oned,OneD,Oned,OneD )
let DEX1,EX1,IR1,IX1,RX1,VX1,XI1,XX1 :=
for $i$ in $1, n$
j $:=\operatorname{Trunc}(G R D[i])$;
EX := EXin[j];
DEX := DEXin[j];
XI := Double_Real(j);
VX := EX - DEX * XI;
$\mathrm{k}:=\operatorname{Trunc}(\mathrm{VX}+\mathrm{FLX})$;
IR $:=\operatorname{MOD} 2 N(k, 512)+1 ;$
RX := VX + FLX - Double_Real(k);
XX := VX + FLX - Double_Real(k) + Double_Real(IR)
returns array of DEX
array of EX
array of IR
array of $j$
array of RX
array of Vx
array of XI
array of XX
end for
in DEX1,EX1,IR1,IX1,RX1,VX1,XI1,XX1,
for initial
$i \quad:=0 ;$

```
        RH := RHIn
    while i < n repeat
        i := old i + 1;
        RH := old RH[IR1[i]:
        old RH[IR1[i]] - RX1[i] + 1.0d0,
        old RH[IR1[i] + 1] + RX1[i]]
        returns value of RH
        end for
    end let
end function
function Main( rep,n:integer; FLX:double;
                    DEX,EX,GRD, RHIn : OneD;
                        returns OneD,OneD,IOneD,IOneD,
    for initial
    i := 1;
    v1 := array Oned [];
    v3 := array IOneD [];
    v4 := v3; v2 := v1; v5 := v2; v6 := v2; v7 := v2; v8 := v2;
    RH := RHin;
    while ( i <= rep ) repeat
        i := old i + 1;
        v1,v2,v3,v4,v5,v6,v7,v8, RH :=
        Loop14( i, n, FLX, DEX, EX, GRD, old RH );
    returns value of v1
        value of v2
        value of v3
        value of v4
        value of v5
        value of v6
        value of v7
        value of v8
        value of RH
    end for
end function
```

\% LOOP 15
\% Casual Fortran. Development Version
Define Main
type double = double_real;
type OneD = array[double];
type Twod = array[OneD];
\% global fsqrt( $x$ :double returns double )

function Loop15( n :integer; VF, VG, VH:TwoD returns Twod, TwoD )
let
VS, VYc := for $\mathbf{j}$ in 2, 6
vSrc,
VYrc := for $i$ in $2, n-1$
VGj $:=$ VG[j];
VGjm1 : = VG[j-1];
VHj := VH[j];
VHjp1 := VH[j+1];
$S:=$ if VF[j,i] >= VF[j-1,i] then
let
R : = Max (VGj[i], VGj[i+1]);
S := VF[j,i];
T $:=0.053 \mathrm{dO}$;
in
sqrt(VHj[i] * VHj[i] + R*R) * T/S
end let
else
let
R : = Max (VGjm1[i], VGjm1[i+1]);
S := VF[j-1,i];
T : = 0.073d0;
in
sqrt(VHj[i] * VHj[i] + R*R) * T/S
end let
end if;
T := if VHjp1[i] > VHj[i] then
0.053 do

```
                        else
                        0.073d0
                    end if;
            Y := if VF[j,i] >= VF[j,i-1] then
                let
                    R := Max(VHj[i],VHjp1[i]);
                    S := VF[j,i];
        in
                    sqrt(VGj[i] * VGj[i] + R*R) * T/S
        end let
    else
                            let
                                    R := Max(VHj[i-1], VHjp1[i-1]);
                                    S := VF[j,i-1];
        in
                            sqrt(VGj[i] * VGj[i] + R*R) * T/S
                            end let
            end if;
            returns array of S
                        array of Y
            end for;
        T := if VH[j+1,n] > VH[j,n] then
            0.053d0
            else
            0.073d0
            end if;
        LastY := if VF[j,n] >= VF[j,n-1] then
            let
                R := Max(VH[j,n],VH[j+1,n]);
                S := VF[j,n];
            in
                sqrt(VG[j,n] * VG[j,n] + R*R) * T/S
            end let
        else
            let
                R := Max(VH[j,n-1], VH[j+1,n-1]);
                S := VF[j,n-1];
            in
                sqrt(VG[j,n] * VG[j,n] + R*R) * T/S
                    end let
            end if;
    VSr := array_addh( VSrc, O.OdO );
    VYr := array_addh( VYrc, LastY );
returns array of vSr
            array of VYr
end for;
in
    VS, array_addh( VYc, array_fill( 2,n,0.0dO ) )
end let
end function
function Main( rep,n:integer; VF,VG,VH:TwoD returns TwoD, TwoD )
    for i in 1, rep
        v1,v2 := Loop15( n, VF, VG, VH );
    returns value of v1
            value of v2
    end for
end function
```

\% LOOP 16
\% Monte Carlo Search Loop
\% Parallel Algorithm
Define Main

```
type double = double_real;
type IOned = array[integer];
type OneD = array[double];
type TwoD = array[OneD];
```

function Loop16( $n$ :integer; R,S,T:double; D, PLAN:OneD;
zONE:IOneD returns integer, integer)
\% interchanged
let $Y:=$ for $j$ in $1, n$ cross $i$ in 1, ZONE[1]
$j 4:=2 *(n *(i-1)+j-1)+3 ;$

```
        j5 := ZONE[2 * (n * (i-1) + j - 1) + 3];
        C1 := if j5 < n/3 then
        if PLAN[j5] < T then ZONE[j4-1]
        elseif PLAN[j5] = T then 0
            else -ZONE[j4-1]
            end if
        elseif j5< 2*n/3 then
            if PLAN[j5] < S then ZONE[j4-1]
            elseif PLAN[j5] = S then 0
            else -ZONE[j4-1]
            end if
        elseif j5<n then
            if PLAN[j5] < R then ZONE[j4-1]
            elseif PLAN[j5] = R then 0
            else -ZONE[j4-1]
            end if
        elseif j5 = n then 0
        elseif let
                            test := D[j5] - (D[j5-1] * exp(T - D[j5-2], 2) +
                                    exp(S - D[j5-3], 2) + exp(R - D[j5-4], 2));
            in
                    test < 0.0d0
            end let
            then ZONE[j4-1]
            else -ZONE[j4-1]
            end if
            returns value of least if C1 = 0 then j4
                else 2 * n * ZONE[1] + 2
                end if
            end for
    in if Y = 2 * n * zONE[1] + 2 then 1, 0
        else (Y - 3) / (2 * n) + 1, Y
        end if
    end let
end function
function Main( rep,n:integer; R,S,T:double; D,PLAN:OneD;
                    ZONE:IOneD returns integer,integer)
    for initial
    i := 1;
        v1 := 0;
        v2 := 0;
    while ( i <= rep ) repeat
        i := old i + 1;
        v1,v2 := Loop16( n, R, S, T, D, PLAN, ZONE );
    returns value of v1
        value of v2
    end for
end function
% LOOP 17
% Implicit, Conditional Computation
Define Main
type double = double_real;
type IOned = array[integer];
type OneD = array[double];
function Loop17( n:integer; VLIN,VLR,VSP,VSTP,VXNEin:OneD;
            returns OneD, OneD, OneD)
    for initial
    i := n;
    XNMt := 1.OdO / 3.OdO;
    E6t := 1.03d0 / 3.07d0;
    E3 := XNMt * VLR[i] + VLIN[i];
    XNC := 5.0dO / 3.0dO * E3;
    XNEI := VXNEin[i];
    VXND := E6t;
    VE3, E6, VXNE, XNM :=
        if ( XNMt > XNC ) then
            let
                E6 := XNMt * VSP[i] + VSTP[i];
                in
                    E6, E6, E6, E6
                end let
            elseif ( XNEI > XNC ) then
                let
```

```
                    E6 := XNMt * VSP[i] + VSTP[i];
                    in
                    E6, E6, E6, E6
                    end let
        else
            E3, E3 + E3 - XNMt, E3 + E3 - XNEI, E3 + E3 - XNMt
        end if;
    while i > 2 repeat
        i := old i - 1;
    E3 := old XNM * VLR[i] + VLIN[i];
    XNC := 5.0dO / 3.OdO * E3;
    XNEI := VXNEin[i];
    VXND := old E6;
    VE3, E6, VXNE, XNM :=
        if ( old XNM > XNC ) then
            let
            E6 := old XNM * VSP[i] + VSTP[i];
            in
                    E6, E6, E6, E6
            end let
        elseif ( XNEI > XNC ) then
            let
                    E6 := old XNM * VSP[i] + VSTP[i];
            in
                    E6, E6, E6, E6
                end let
            else
            E3, E3 + E3 - old XNM, E3 + E3 - XNEI, E3 + E3 - old XNM
            end if;
    returns array of VXNE
        array of VE3
            array of VXND
    end for
end function
function Main( rep,n:integer; VLIN,VLR,VSP,VSTP,VXNEin:OneD;
                returns OneD, OneD, OneD)
    for i in 1, rep
    v1,v2,v3 := Loop17( n, VLIN, VLR, VSP, VSTP, VXNEin );
    returns value of v1
        value of v2
        value of v3
    end for
end function
```

\% LOOP 18
\% 2-D Explicit Hydrodynamic Fragment
\% Sequential and Parallel Algorithm
Define Main
type double $=$ double_real;
type IOneD = array[integer];
type OneD = array[double];
type Twod = array[OneD];
function acopy ( lo,hi:integer; V:OneD returns OneD )
for $i$ in lo,hi returns array of $V[i]$ end for
end function
function Loop18( n :integer; $\mathrm{S}, \mathrm{T}:$ double;
ZA, ZB, ZM, ZP, ZQ, ZR, ZU, ZV, ZZ:TwoD
returns TwoD,TwoD )
let zAcore, zBcore :=
for j in 2,6
ZArc, ZBrC : $=$
for in $2, n$
returns array of
$(Z P[j+1, i-1]+Z Q[j+1, i-1]-Z P[j, i-1]-Z Q[j, i-1])$ *
$(Z P[j+1, i-1]+Z Q[j+1, i-1]-Z P[j, i-1]-Z Q[j, i-1])$
$(Z R[j, i]+Z R[j, i-1]) /(Z M[j, i-1]+Z M[j+1, i-1])$
array of
(ZP[j,i-1] + ZQ[j,i-1] - ZP[j,i] - ZQ[j,i]) *
$(Z R[j, i]+Z R[j-1, i]) /(Z M[j, i]+Z M[j, i-1])$
end for;
returns array of array_addl ( array_addh(ZArc, $Z A[j, n+1]), Z A[j, 1])$
array of array_addl ( array_addh(ZBrc, ZB[j,n+1]), ZB[j,1] )
end for;

```
    ZA1 := acopy(1,7,ZA[1]);
    ZB1 := acopy(1,7,zB[1])
    ZA7 := acopy(1,7,ZA[7]);
    ZB7 := acopy(1,7,zB[7]);
    ZANew := array addl( array addh( ZAcore, ZA7), ZA1 );
    ZBNew := array_addl( array_addh( zBcore, ZB7), ZB1 );
    ZRNew, ZZNew :=
    for j in 2,6
        ZRr, ZZr :=
            for i in 2,n
                ZUNew := ZU[j,i] + S *
                    (ZANew[j,i] * (ZZ[j,i] - ZZ[j,i+1]) -
                    ZANew[j,i-1] * (ZZ[j,i] - ZZ[j,i-1]) -
                    ZBNew[j,i] * (ZZ[j,i] - ZZ[j-1,i]) +
                    ZBNew[j+1,i] * (ZZ[j,i] - ZZ[j+1,i]));
                zVNew := zV[j,i] + S *
                    (ZANEW[j,i] * (ZR[j,i] - ZR[j,i+1]) -
                    ZANew[j,i-1] * (ZR[j,i] - ZR[j,i-1]) -
                    ZBNew[j,i] * (ZR[j,i] - ZR[j-1,i]) +
                    ZBNew[j+1,i] * (ZR[j,i] - ZR[j+1,i]))
        returns array of ZR[j,i] + T * ZUNew
                        array of ZZ[j,i] + T * zVNew
        end for;
        returns array of ZRr
            array of ZZr
        end for;
    in
        ZRNew, ZZNew
    end let
end function
function Main( rep,n:integer; S,T:double;
                    ZAin, ZBin, ZM, ZP, ZQ, ZRin, zUin, zVin, zZin:TwoD
                returns TwoD,TwoD )
    for i in 1, rep
        ZR, ZZ :=
        Loop18( n, S, T, zAin, ZBin, ZM, zP, zQ, zRin, zUin, zVin, zZin );
    returns value of ZR
            value of ZZ
    end for
end function
```

```
% LOOP 19
```

% LOOP 19
% General Linear Recurrence Equations
% General Linear Recurrence Equations
% Sequential Agorithm
% Sequential Agorithm
Define Main
Define Main
type double = double_real;
type double = double_real;
type OneD = array[double];
type OneD = array[double];
function Loop19(n:integer; STIn: double;
function Loop19(n:integer; STIn: double;
SA, SB: OneD returns OneD, double )
SA, SB: OneD returns OneD, double )
let
let
B5t, STB5t :=
B5t, STB5t :=
for initial
for initial
k := 1;
k := 1;
B5 := SA[1] + STIn * SB[1];
B5 := SA[1] + STIn * SB[1];
STB5 := B5 - STIn;
STB5 := B5 - STIn;
while ( k < n ) repeat
while ( k < n ) repeat
k := old k + 1;
k := old k + 1;
B5 := SA[k] + old STB5 * SB[k];
B5 := SA[k] + old STB5 * SB[k];
STB5 := B5 - old STB5;
STB5 := B5 - old STB5;
returns array of B5
returns array of B5
value of STB5
value of STB5
end for
end for
in
in
for initial
for initial
i := 1;
i := 1;
B5 := B5t;
B5 := B5t;
STB5 := STB5t;
STB5 := STB5t;
while ( i <= n ) repeat
while ( i <= n ) repeat
k := n + 1 - old i;
k := n + 1 - old i;
i := old i + 1;
i := old i + 1;
B5V := SA[k] + old STB5 * SB[k];
B5V := SA[k] + old STB5 * SB[k];
B5 := old B5[k:B5V];
B5 := old B5[k:B5V];
STB5 := B5V - old STB5;
STB5 := B5V - old STB5;
returns value of B5

```
    returns value of B5
```

```
                            value of STB5
        end for
    end let
end function
function Main( rep,n:integer; STB5in: double;
    SA, SB: OneD returns OneD, double )
    for initial 
        B5 := array OneD [];
        STB5 := STB5in;
    while ( i <= rep ) repeat
        i := old i + 1;
    B5,STB5 := Loop19( n, old STB5, SA, SB );
    returns value of B5
            value of STB5
    end for
end function
```

```
% LOOP 20
% Discrete Ordinates Transport: Conditional Recurrence on XX
Define Main
type double = double_real;
type OneD = array[double];
type Twod = array[OneD];
function Loop20( n:integer; DK,S,T:double;
    XXin,G,U,V,VX,W,Y,Z:OneD returns OneD, OneD )
    for initial
    i := 1;
    DI := Y[1] - G[1] / (XXin[1] + DK);
    DN := if DI = O.OdO then O.20dO
                else max(S, min(Z[1]/DI, T))
                end if;
            := (XXin[1] * (W[1] + DN * V[1]) + U[1]) / (VX[1] + DN * V[1]);
    XX := XXin[2: XXin[1] + DN * (X - XXin[1])];
    while i < n repeat
    i := old i + 1;
    DI := Y[i] - G[i] / (old XX[i] + DK);
    DN := if DI = 0.0dO then 0.20dO
                else max(S, min(Z[i]/DI, T))
                end if;
        x := (old Xx[i] * (W[i] + DN * V[i]) + U[i]) / (VX[i] + DN * V[i]);
    XX := old Xx[i+1: old XX[i] + DN * (X - old XX[i])];
    returns array of }
                        value of xx
    end for
end function
function Main( rep,n:integer; DK,S,T:double;
            XXin,G,U,V,VX,W,Y,Z:OneD returns OneD, OneD )
    for initial
            i := 1;
            x := array OneD [];
            XX := XXin;
    while ( i <= rep ) repeat
        i := old i + 1;
        X, XX := Loop20( n, DK, S, T, old XX, G, U, V, VX, W, Y, Z );
    returns value of }
            value of Xx
    end for
end function
```

```
% LOOP 21
% Matrix * Matrix Product
% Assumes transpose(VY) to allow vectorization
Define Main
```

type double = double_real;
type OneD = array[double];
type Twod = array[OneD];
function Loop21( n :integer; CX, PX,VY:TwoD returns TwoD )
for $k$ in 1,25 cross $j$ in $1, n$ returns
array of $P X[k, j]+$ for $i$ in 1,25 returns
value of sum $v y[i, k]$ * $C x[k, j]$

```
                                    end for
    end for
end function
function Main( rep,n:integer; CX,PXin,VY:TwoD returns TwoD )
    for i in 1, rep
        PX := Loop21( n, CX, PXin, VY );
    returns value of PX
    end for
end function
% LOOP 22
% Planckian Distribution
Define Main
type double = double_real;
type OneD = array[d
global etothe( x:double returns double )
% global fexp( x:double returns double)
function Loop22( n:integer; U,V,X:OneD returns OneD, OneD )
    for k in 1,n
        Y := if (U[k]< 20.0dO * V[k] ) then
            U[k] / V[k]
            else
                20.0d0
            end if;
        W := X[k] / (etothe(Y) - 1.OdO);
    returns array of W
            array of Y
    end for
end function
function Main( rep,n:integer; U,v,X:Oned returns OneD, OneD )
    for i in 1, rep
        v1,v2 := Loop22( n, U,V,X );
    returns value of v1
                value of v2
    end for
end function
```

```
% LOOP 23
% 2-D Implicit Hydodynamics Fragment
% Sequential Algorithm
Define Main
type double = double real;
type OneD = array[double];
type TwoD = array[OneD];
% transpose
function Loop23(n:integer; ZAin, ZB:TwoD;
                ZR,ZU,ZV,ZZ:TwoD returns TwoD )
    for initial
    j := 1;
        zAt := ZAin
    while ( j < 6 ) repeat
        j := old j + 1;
        ZArc := for initial
            k := 1;
                    ZA := old ZAt[j,1];
                    while ( k<n ) repeat
                    k := old k + 1;
                    QA := old ZAt[j+1,k] * ZR[j,k] + old ZAt[j-1,k] * ZB[j,k] +
                        old ZAt[j,k+1] * ZU[j,k] + old ZA * ZV[j,k] +
                        ZZ[j,k];
            ZA := old ZAt[j,k] + 0.175dO * (QA - old ZAt[j,k]);
                returns array of ZA
                end for;
        ZAt := old zAt[ j:array_addh( zArc, old ZAt[j,n+1] ) ];
    returns value of zAt
    end for
end function
```

```
function Main( rep,n:integer; ZAin, zB:TwoD;
    for initial
        i := 1;
        ZA := ZAin;
    while ( i <= rep ) repeat
        i := old i + 1;
        ZA := Loop23( n, old ZA, ZB, ZR, ZU, ZV, ZZ );
    returns value of ZA
    end for
end function
% LOOP }2
% Find Location of First Minimum in Array
% Vectorizable on Alliant
% Parallel Algorithm
Define Main
type double = double_real;
type OneD = array[double];
function Loop24( n:integer; X:OneD returns integer )
    for initial
        max24 := 1;
        k := 2;
    while ( k <= n ) repeat
        k := old k + 1;
        max24 := if ( X[old k] < X[old max24] ) then
                old k
                    else
                                    old max24
                            end if;
    returns value of max24
    end for
end function
function Main( rep,n:integer; X:OneD returns integer )
    for i in 1, rep
        v1 := Loop24( n, x );
    returns value of v1
    end for
end function
```


## Appendix D <br> Simulation Result








































## Appendix E Source Code and Executable Programs

The IF1 compiler, viewer, and parallelism analysis tools consist of approximately 10,000 lines of source code. Due to large size, the source code was not included in this thesis. The source code and the executable programs for both Microsoft Windows version and X Windows version may be obtained by contacting Dr. Mitchell A. Thornton.

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[^0]:    ${ }^{1}$ Microsoft Windows is registered trademark of Microsoft Corporation.

[^1]:    ${ }^{2}$ Macintosh is a registered trademark of Apple Computer.

